

Errata and Additions to Handbook, 3rd Print
February 4, 2009

p.3, add an entry

Original text

New text Alfvén current $I_A = \frac{ec}{r_e}$ 17.045093 kA

p.27, right column, Reference [16]

Original text M.R. Cleland, M.R.,

New text M.R. Cleland,

p.48, right column, middle of the column

Original text $f = 1.643E_s e^{-(8.5/E_s)}$

New text $f = 1.643 E_s^2 e^{-(8.5/E_s)}$

p.115, right column, 3rd line in Sec.2.4

Original text Alfén current

New text Alfvén current

p.117, Eq.(10)

Original text $-\frac{\epsilon_{\text{edge}}^2}{\beta\gamma r^3}$

New text $-\left(\frac{\epsilon_{\text{edge}}}{\beta\gamma}\right)^2 \frac{1}{r^3}$

p.117, right below Eq.(10)

Original text in a solenoid.

New text in a solenoid, and ϵ_{edge} is normalized edge emittance ($4\beta\gamma\epsilon_{\text{rms,N}}$ if Gaussian).

p.117, Eq.(12)

Original text $+\frac{3\epsilon_{\text{edge}}^2}{\beta\gamma r_{\text{eq}}^4}$

New text $+\left(\frac{\epsilon_{\text{edge}}}{\beta\gamma}\right)^2\frac{3}{r_{\text{eq}}^4}$

p.155, following Eq.(23)

Original text where $\sqrt{\alpha_q}$ is the amplitude normalized by σ_q .

New text where $\sqrt{\alpha_q}$ is the amplitude normalized by $2\sigma_q$.

p.170, middle of left column

Original text Artificial resonance from local oscillating field [4,5]

New text Artificial resonance from local oscillating solenoidal field [4,5]

p.170, Eq.(7)

Original text $B_{\perp} = \hat{B}_{\perp} \cos(\omega t) \rightarrow \epsilon_K = \frac{(1+G\gamma)}{4\pi} \frac{\int \hat{B}_{\perp} ds}{B\rho}; \quad K = n + \frac{\omega}{\omega_0} \quad (7)$

New text For oscillating dipole field $B_{\perp} = \hat{B}_{\perp} \cos(\omega t)$, see [6].

p.170, right column

Original text (add a reference)

New text [6] M. Bai et al, PRE 56, 6002 (1997); M. Bai et al, PRL 80, 4673 (1998); Ya.S. Derbenev and V.A. Anferov, PRST-AB 3, 094001 (2000); S.Y. Lee, PRST-AB 9, 074001 (2006); S.R. Mane, PRST-AB 10, 111001 (2007)

p.231, Under **Diffraction formulae**, first row on the right side of table

Original text $(Z_1^{\perp})_{in} = (Z_1^{\perp})_{out} = \frac{Z_0}{2\pi k} \left(\frac{1}{b^2} - \frac{1}{d^2}\right)$

New text $(Z_1^{\perp})_{in} \approx 0, \quad (Z_1^{\perp})_{out} = \frac{Z_0}{\pi k} \left(\frac{1}{b^2} - \frac{1}{d^2}\right)$

p.237, 4th column on **Circuit Models**

Original text $\frac{1}{\sqrt{3}}$

New text $\frac{1}{2\sqrt{3}}$

p.269, left column, two locations

Original text Tab.4

New text Tab.5

p.287, left column, last line

Original text M. Rieser

New text M. Reiser

p.404, left column, 2nd line from bottom

Original text $H_x = \dots \sin\left(\frac{\pi z}{d}\right)$

New text $H_x = \dots \cos\left(\frac{\pi z}{d}\right)$

p.407, right column, 3rd line under Fig.1

Original text cavit

New text cavity

p.505, Table 1, the row Kick strength

Original text	Kick strength	Tm	3.6	14	88	...
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New text	Kick strength	mT-m	3.6	14	11.6	...
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p.505, Table 1, the row Magnet Length

Original text 2.50

New text 0.25

p.511, under Eq.(3)

Original text multipole order,

New text multipole order ($N = 1$ dipole, $N = 2$ quad, $N = 3$ sextupole, and for $N = 1$, Eq.(3) reads $B^*(z) = B_r \sum_{v=0}^{\infty} \left(\frac{z}{r_1}\right)^{n-1} \ln\left(\frac{r_2}{r_1}\right) K_n$.

p.517, Ref.[3]

Original text R.D. Schlueter, Mag. Tech. LBNBL Pub 754 LBNL (1995) 55

New text R.D. Schlueter, et al, NIM A 395 (1997) 153

p.529, following Eq.(7)

Original text

$$c_3 = \text{Re} \left[F^3 \frac{i}{4J_1(P)} \exp(K) \right]$$

$$c_5 = \text{Re} \left[F^5 \frac{i}{48\sqrt{2}J_1(P)} \exp(K) \right]$$

New text

$$c_3 = \text{Re} \left[-F^3 \frac{i}{4\sqrt{2}J_1(P)} \exp(K) \right]$$

$$c_5 = \text{Re} \left[F^5 \frac{i}{48\sqrt{2}J_1(P)} \exp(K) \right]$$

p.538, Eq.(33)

Original text $g_{\perp} = \frac{\tanh \pi w}{4b}$

New text $g_{\perp} = \tanh \frac{\pi w}{4b}$

p.572, right column, Eq.(1)

Original text $\omega_{m\nu} = \left[k_{mn}^2 + \left(\frac{\pi\nu}{\ell} \right) \right]^{1/2}$

New text $\omega_{m\nu} = \left[k_{mn}^2 + \left(\frac{\pi\nu}{\ell} \right)^2 \right]^{1/2} c$

p.573, one line below Eq.(4)

Original text the stored energy

New text the stored energy W

Subject Index page i

Original text Alfvén current 115

New text Alfvén current 3, 115

Subject Index page ix

Original text [add an entry]

New text Kicker magnets (see Magnets, pulsed)

Subject Index page xi, left column

Original text [add an entry]

New text Magnets, kicker (see Magnets, pulsed)