

# Contents

Preface	ix
Preface to the First Edition	xi
<b>(A) The Historical and Physical Context of Relativity Theory</b>	<b>1</b>
<b>1. Introduction and Overview</b>	<b>3</b>
1a. Special relativity is NOT incorrect!	3
1b. Idea #1: Einstein's first postulate of relativity (the principle of relativity) is the only necessary ingredient of a viable theory	4
1c. Idea #2: The principle of relativity is useful as a limiting principle in the discussion of the physics of accelerated frames	7
<b>2. Space, Time and Inertial Frames</b>	<b>12</b>
2a. Space	12
2b. Time	13
2c. Inertial frames of reference	14
2d. Coordinate transformations	15
2e. Units of space and time	16
<b>3. The Nontrivial Pursuit of Earth's Absolute Motion</b>	<b>19</b>
3a. Newton's frame of absolute rest	19
3b. Measuring Earth's velocity	22
<b>4. On the Right Track: Voigt, Lorentz, and Larmor</b>	<b>27</b>
4a. Lorentz's heuristic local time	27
4b. Development of the Lorentz transformations	29
<b>5. The Contributions of Poincaré</b>	<b>36</b>
5a. Poincaré's insight into physical time	36
5b. Poincaré and the principle of relativity	38
5c. Poincaré's theory of relativity	41
5d. Conformal transformations and a frame of 'absolute rest'	47
5e. Poincaré's impact on relativity and symmetry principles	51
5f. Retro physics: Past and present views of the ether	54
<b>6. The Novel Creation of the Young Einstein</b>	<b>64</b>
6a. Fresh thoughts from a young mind	64
6b. The theory of special relativity	65
6c. Derivation of the Lorentz transformation	66
6d. Relativity of space and time	68
6e. The completion of special relativity by Minkowski's idea of 4-dimensional spacetime	73
6f. Einstein and Poincaré	75

<b>(B) A Broader View of Relativity: The Central Role of the Principle of Relativity</b>	<b>85</b>
<b>7. Relativity Based Solely on the Principle of Relativity</b>	<b>87</b>
7a. Motivation	87
7b. A brief digression: natural units and their physical basis	88
7c. Taiji relativity: A relativity theory based solely on the principle of relativity	89
7d. Realization of taiji time	92
7e. The conceptual difference between taiji relativity and special relativity	93
7f. The role of a second postulate	95
<b>8. Common Relativity</b>	<b>100</b>
8a. A new unit for time	100
8b. Operationalizing the common-second and the equivalence of inertial frames	102
8c. Coordinate transformations in common relativity	104
8d. Physical interpretation of the ligh function $b$	106
8e. Implications of common time	109
<b>9. Experimental Tests I</b>	<b>114</b>
9a. Time intervals versus optical path length	114
9b. The Michelson-Morley experiment	114
9c. The Kennedy-Thorndike experiment	118
9d. The Fizeau experiment	121
<b>10. Experimental Tests II</b>	<b>128</b>
10a. The Ives-Stilwell experiment	128
10b. Atomic energy levels and Doppler shifts in taiji relativity	128
10c. Atomic energy levels and Doppler shifts in common relativity	130
10d. Lifetime dilation of cosmic-ray muons	133
10e. The cosmic-ray muon experiment and taiji relativity	134
10f. Decay-length dilation in quantum field theory and taiji relativity	135
10g. Cosmic-ray muons and common relativity	138
10h. Quantum field theory and the decay length in common relativity	140
<b>11. Group Properties of Taiji Relativity and Common Relativity</b>	<b>143</b>
11a. General group properties	143
11b. Lorentz group properties	146
11c. Poincaré group properties	152
<b>12. Invariant Actions in Relativity Theories and Truly Fundamental Constants</b>	<b>158</b>
12a. Invariant actions for classical electrodynamics in relativity theories	158
12b. Universal constants and invariant actions	163
12c. Dirac's conjecture regarding the fundamental constants	165
12d. Truly fundamental constants	166
<b>13. Common Relativity and Many-Body Systems</b>	<b>170</b>
13a. Advantages of common time	170
13b. Hamiltonian dynamics in common relativity	173

13c.	Invariant kinetic theory of gases	178
13d.	Invariant Liouville equation	182
13e.	Invariant entropy, temperature and the Maxwell-Boltzmann distribution	184
13f.	Invariant Boltzmann-Vlasov equation	186
13g.	Boltzmann's transport equation with 4-dimensional symmetry	192
13h.	Boltzmann's H theorem with 4-dimensional symmetry	195
<b>14.</b>	<b>Common Relativity and the 3K Cosmic Microwave Background</b>	<b>200</b>
14a.	Implications of an invariant and non-invariant Planck's law for blackbody radiation	200
14b.	Invariant partition function	200
14c.	Covariant thermodynamics	202
14d.	The canonical distribution and blackbody radiation	205
14e.	The question of Earth's "absolute" motion relative to the 3K cosmic microwave background	208
<b>15.</b>	<b>Common Relativity and Quantum Mechanics</b>	<b>213</b>
15a.	Fuzziness at short distances and the invariant genenergy	213
15b.	Fuzzy quantum mechanics with an inherent fuzziness in the position of a point particle	215
15c.	Fuzzy point and modified Coulomb potential at short distances	220
15d.	Suppression of the contribution of large momentum states to physical processes	222
<b>16.</b>	<b>Common Relativity and Fuzzy Quantum Field Theory</b>	<b>225</b>
16a.	Fuzzy quantum field theories	225
16b.	Fuzzy quantum electrodynamics based on common relativity	231
16c.	Experimental tests of the 4-dimensional symmetry of special relativity at very high energies	235
<b>17.</b>	<b>Extended Relativity: A Weaker Postulate for the Speed of Light</b>	<b>240</b>
17a.	Four-dimensional symmetry as a guiding principle	240
17b.	Edwards' transformation with Reichenbach's time	242
17c.	Difficulties of Edwards' transformation	245
17d.	Extended relativity: A 4-dimensional theory with Reichenbach's time (a universal 2-way speed of light)	247
17e.	The two basic postulates of extended relativity	251
17f.	Invariant action for a free particle in extended relativity	254
17g.	Comparison of extended relativity and special relativity	256
17h.	An unpassable limit and a non-constant speed of light	258
17i.	Lorentz group and the space-lighttime transformations	259
17j.	Decay rate and "lifetime dilation" of unstable particles	261
<b>(C)</b>	<b>The Role of the Principle of Relativity in the Physics of Accelerated Frames</b>	<b>265</b>
<b>18.</b>	<b>The Principle of Limiting Lorentz and Poincaré Invariance</b>	<b>267</b>
18a.	An answer to the young Einstein's question and its implications	267
18b.	Generalizing Lorentz transformations from inertial frames to accelerated frames	271

18c.	Physical time and 'spacetime clocks' in linearly accelerated frames	274
18d.	Møller's gravitational approach to accelerated transformations	275
18e.	Accelerated transformations with the limiting Lorentz and Poincaré invariance	279
<b>19.</b>	<b>Extended Lorentz Transformations for Frames with Constant-Linear-Accelerations</b>	284
19a.	Generalized Møller-Wu-Lee transformation	284
19b.	Minimal generalization of the Lorentz transformation: The Wu transformations	288
19c.	A comparison of the generalized MWL and Wu transformations	290
19d.	Four-momentum and constant-linear-acceleration of an accelerated particle	292
19e.	Experiments on Wu-Doppler effects of waves emitted from accelerated atoms	294
<b>20.</b>	<b>Physical Properties of Spacetime in Accelerated Frames</b>	297
20a.	A general transformation for a CLA frame with an arbitrary $\beta(w)$	297
20b.	The singular wall and horizons in the Wu transformation	300
20c.	Generalized Møller-Wu-Lee transformation for an accelerated frame	305
20d.	Decay-length dilations due to particle acceleration	310
20e.	Discussions	314
<b>21.</b>	<b>Extended Lorentz Transformations for Accelerated Frames and a Resolution to the "Two-Spaceship Paradox"</b>	319
21a.	The two-spaceship paradox	319
21b.	Generalized Møller and Wu transformations	321
21c.	Motion and length contraction involving accelerations	324
21d.	Discussion	326
<b>22.</b>	<b>Dynamics of Classical and Quantum Particles in Constant-Linear-Acceleration Frames</b>	330
22a.	Classical electrodynamics in constant-linear-acceleration frames	330
22b.	Quantum particles and Dirac's equation in a CLA frame	334
22c.	Stability of atomic levels against constant accelerations	336
22d.	Electromagnetic fields produced by a charge with a constant-linear-acceleration	340
22e.	Covariant radiative reaction force in special relativity and common relativity	349
<b>23.</b>	<b>Quantizations of Scalar, Spinor, and Electromagnetic Fields In Constant-Linear-Acceleration Frames</b>	356
23a.	Scalar field in constant-linear-acceleration frames	356
23b.	Quantization of scalar fields in CLA frames	359
23c.	Quantization of spinor fields in CLA frames	366
23d.	Quantization of the electromagnetic field in CLA frames	373
<b>24.</b>	<b>Group and Lie Algebra Properties of Accelerated Spacetime Transformations</b>	378
24a.	The Wu transformation with acceleration in an arbitrary direction	378

24b.	Generators of the Wu transformation in cotangent spacetime	380
24c.	The Wu algebra in a modified momentum space and the classification of particles	384
<b>25.</b>	<b>Coordinate Transformations for Frames with a General-Linear Acceleration</b>	<b>389</b>
25a.	Spacetime transformations based on limiting Lorentz and Poincaré invariance	389
25b.	Physical implications and discussion	396
<b>26.</b>	<b>A Taiji Rotational Transformation with Limiting 4-Dimensional Symmetry</b>	<b>402</b>
26a.	A smooth connection between rotational and inertial frames	402
26b.	A taiji rotational transformation with limiting 4-dimensional symmetry	403
26c.	Physical properties of the taiji rotational transformation	406
26d.	The metric tensors for the spacetime of rotating frames	408
26e.	The invariant action for electromagnetic fields and charged particles in rotating frames and truly fundamental constants	410
26f.	The 4-momentum and the 'lifetime dilation' of a particle at rest in a rotating frame	412
<b>27.</b>	<b>Epilogue</b>	<b>416</b>
<b>(D)</b>	<b>Appendices</b>	<b>423</b>
<b>A.</b>	<b>Systems of Units and the Development of Relativity Theories</b>	<b>425</b>
Aa.	Units, convenience and physical necessity	425
Ab.	Time, length and mass	426
Ac.	Other SI base units	430
Ad.	Other units	434
Ae.	Status of the fundamental constants	434
Af.	Discussion and conclusion	436
<b>B.</b>	<b>Can one Derive the Lorentz Transformation from Precision Experiments?</b>	<b>441</b>
Ba.	Introduction	442
Bb.	Three classical tests of special relativity	443
Bc.	Deriving the Lorentz transformation?	446
Bd.	A more general form	455
Be.	Discussions and conclusions	462
<b>C.</b>	<b>Quantum Electrodynamics in Both Linearly Accelerated and Inertial Frames</b>	<b>465</b>
Ca.	Quantum electrodynamics based on taiji relativity	465
Cb.	Experimental measurements of dilations of decay-lengths and decay-lifetimes in inertial frames	470
Cc.	Quantum electrodynamics of bosons in accelerated and inertial frames	470

Cd. Feynman rules for QED with fermions in both CLA and inertial frames	476
Ce. Some QED results in both CLA and inertial frames	478
<b>D. Yang-Mills Gravity with Translation Gauge Symmetry in Inertial and Non-inertial Frames</b>	<b>483</b>
Da. Translation gauge transformations and an 'effective metric tensor' in flat spacetime	483
Db. Yang-Mills theory with translation gauge symmetry	489
Dc. Gravitational action with quadratic gauge-curvature	490
Dd. Linearized equations of the tensor field and the Hamilton-Jacobi equation for particles	492
De. The gauge field equation in inertial and non-inertial frames	494
Df. Perihelion shifts and bending of light	498
Dg. The Yang-Mills gravitational force	504
<b>Author Index</b>	<b>509</b>
<b>Subject Index</b>	<b>513</b>